S.No.	SUBJECT	ASSIGNMENT
1	English	1) WRITE A COMPOSITION IN APPROXIMATELY 400-500 WORDS ON ANY TWO
	Language	<ul> <li>a) SOMETIMES WE TAKE NATURE FOR GRANTED. NARRATE AN EXPERIENCE THAT MADE YOU APPRECIATE THE NATURAL WORLD.</li> <li>b) "FAITH IS TO BELIEVE WHAT WE DO NOT SEE AND THE REWORD OF THIS FAITH IS TO SEE WHAT WE BELIEVE." – EXPRESS YOUR VIEWS ON THE GIVEN STATEMENT.</li> <li>c) EYES .</li> <li>d) WRITE A SHORT STORY DEPLOYING THE LINE: "AS THE HOT WEATHER BEGAN , THE SHACKLES SETTLED ON HIM AND ATE INTO HIS FLESH."</li> </ul>
		2) AS THE MEMBER OF THE HOME SCIENCE CLUB OF YOUR SCHOOL, YOU HAVE BEEN GIVEN THE RESPONSIBILITY OF ORGANISING A BAKERY CARNIVAL TO RAISE FUNDS FOR PROVIDING WOOLEN CLOTHES TO THE UNDER PRIVILEDGED CHILDREN. WRITE A PROPOSAL STATING THE STEPS YOU WOULD TAKE TO SUCCESSFULLY ORGANISE THIS EVENT.
2	History	TRACE THE DEVELOPMENT OF GANDHIAN NATIONALISM STARTING FROM NON COOPERATION MOVEMENT TO CIVIL DISOBEDIENCE MOVEMENT.
	1	

Assignments for Classing

MANITIES

BENGALI CLASS 12 (ASSIGNMENT)

করোনা ভাইরাসের ত্রাসে কাঁপছে গোটা বিশ্ব – রোগের উপসর্গ – কীভাবে প্রতিবিধান করা যেতে পারে– (WHO) এর বক্তব্য – সারা দেশ জুড়ে কী ধরনের ব্যবস্থা গ্রহণ করা হযেছে – সমস্ত তথ্য দিয়ে রচনাটি লেখ।

## HINDI CLASS 12 (ASSIGNMENT)

मुहार्वे तया अग्रद्ध वाक्यां की श्रद्ध करों याद करें तया Class XII Geography Assignment जिरवे,

Chapter – Locational setting of India

Q1) Name a neighbouring country of India which has the largest longitudinal extent.

Q2) Name a country which is divided by Tropic of Capricorn into two parts.

Q3) 'The Indian Ocean is called truly Indian ocean'- Illustrate the line.

Q4) Why is India called a sub-continent?

Q5) 'India is neither pigmy nor a giant among the nations of the world'- discuss the statement.

Q6) India is titled as 'Mistress of the Eastern seas"- give reasons.

### Q7) Draw the following table and complete it. -

Country	Latitudinal extent	Comparison with India	Longitudinal extent	Comparison with India	Area (sq km)	Comparison with India	North- south Distance (km)	East- West Distance (km)
India								
China								
Australia								

Q8) Picture study- Study the picture and answer the following-



- I. Identify and name A and B
- II. Name the neighbouring countries of India marked as C,D & E. III.
  - Name the water bodies(seas and oceans) surrounding India.

Note- Do the assignment in school exercise book (long copy)



# XII ASSIGNMENT MATHEMATICS

### MATRICES

A matrix can be written in compact form as  $A = [a_{ij}]_{m \times n}$ , when  $1 \le i \le m$ ;  $1 \le j \le n$ ,  $i, j \in \mathbb{N}$ . m= number of rows and n= number of coloumn.

No of elements m×n. a<sub>ii</sub>represent an element in i-th row and j-thcoloumn.

#### **Some Definition:**

Diagonal Matrix: A square matrix  $A = [a_{ii}]_{m \times n}$  is called diagonal matrix if all non-diagonal (i) elements are zero.

i.e. 
$$a_{ij}=0$$
 for  $i\neq j$ . like 
$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 5 & 0 \\ 0 & 0 & -2 \end{bmatrix}$$

<u>Scelar Matrix</u>: A square matrix  $A = [a_{ij}]_{m \times n}$  is called scelar matrix if all the non-diagonal (ii)elements are zero and the diagonal elements are equal.

$$a_{ij} = o$$
 if  $i \neq j$ ,

= k if i=j, where k is constant

<u>Identity/Unit Matrix</u>: A square matrix  $A = [a_{ij}]_{m \times n}$  is called identity matrix if (iii)  $a_{ii} = 0$  if  $i \neq j$ 

= 1 if i=j

Transpose of a Matrix: To obtain the transpose of a square matrix, rows are changed into (iv)coloumns and coloumns are changed into rows.

letA= $[a_{ii}]_{m \times n}$ , then  $A^{T} = [a_{ii}]_{n \times m}$  where  $A^{T}$  denotes the transpose of A. We can take Transpose of rectangular matrix also.

## **Properties of Transpose of Matrices**

 $(A^{T})^{T} = A$ (i)

(ii)

 $(A+B)^{T} = A^{T} + B^{T}$  $(A-B)^{T} = A^{T} - B^{T}$ (iii)

**Symmetric Matrix :** A square matrix is said to be Symmetric matrix if  $A^{T}=A$ .

<u>Skew-Symmetric Matrix</u>: A square matrix is said to be Skew-Symmetric Matrix if  $A^{T}$  - A. A SQUARE MATRIX CAN BE EXPRESSED AS SUM OF A SYMMETRIC AND SKEW-SYMMETRIC MATRIX.

(iv)  $(AB)^{T} = B^{T}A^{T}$ (v)  $(KA)^{T} = K.A^{T}$ 

#### **Determinant**

Determinant of a square matrix of order 1  $A=[a_{11}]$ .  $|A|=a_{11}$ wgere |A| denote the determinant value of corresponding square matrix A.

Determinant of a square matrix of order 2

$$\mathbf{A} = \begin{bmatrix} a_{11} & a_{12} \\ a_{21} & a_{22} \end{bmatrix} |\mathbf{A}| = a_{11} \cdot a_{22} - a_{21} \cdot a_{12}$$

Determination of a square matrix of order of order<sub>3</sub>

 $\mathbf{A} = \begin{bmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{bmatrix} |\mathbf{A}| = a_{11}(a_{22}.a_{33} - a_{23}.a_{32}) - a_{12}(a_{21}.a_{33} - a_{23}.a_{31}) + a_{13}(a_{21}.a_{32} - a_{22}.a_{31}).$ 

- For any square matrix A of order n,  $|KA| = K^n |A|$ , where K is scelar (i)
- For any square matrix of order n,  $|A^{T}| = |A|$ . (ii)
- For any two matrices A and B of same order  $|AB| = |A| \cdot |B|$ . (iii)

### Singular and Non-Singular Matrix

A square matrix A is Singular if |A| = 0

A square matrix A is non-singular if  $|A| \neq 0$ .

<u>Adjoint</u>: Let  $A = [a_{ij}]$  be a square matrix of order n, then we define adjoint of A as adjA = $[A_{ij}]^{T}$ , where  $A_{ij}$  denotes the cofactor of  $a_{ij}$  in A.

Let A = 
$$\begin{bmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{bmatrix}$$
 then adjA =  $\begin{bmatrix} A_{11} & A_{12} & A_{13} \\ A_{21} & A_{22} & A_{23} \\ A_{31} & A_{32} & A_{33} \end{bmatrix}$ 

#### Some Important results on adjoint:

1:(AT) = (ad; A)T $A(adjA) = (adjA)A = |A|.I_n$ (i)

(ii) 
$$|adjA| = |A|^{n-1}$$

 $|A(adjA)| = |A|^n$ (iii)

$$(1V) adj(A') = (adjA)$$
  
 $(V) adj(AB) = (adjA)(adjB)$ 

## Solve the following sums:

- 1. Construct a 2\*2 matrix whose elements  $a_{ij}$  are given by  $a_{ij} = \begin{cases} \frac{|-3i+j|}{2} \\ (i+j) \end{cases}$ 2. Find values of a,b,c,d from one following equation

 $\begin{bmatrix} 2a+b & a-2b\\ 5c-d & 4c+3d \end{bmatrix} = \begin{bmatrix} 4 & -3\\ 11 & 24 \end{bmatrix}$ 3. If X and Y are 2\*2 matrix , then solve for X and Y  $2X+3Y=\begin{bmatrix} 2 & 3 \\ 4 & 0 \end{bmatrix}, 3X+2Y=\begin{bmatrix} -2 & 2 \\ 1 & -5 \end{bmatrix}.$ 4. If  $A = \begin{bmatrix} 1 & 2 \\ 2 & 1 \end{bmatrix}$ , show that  $A^2 - 3I = 2A$ . 5. If (A-2I)(A-3I) = 0, where A =  $\begin{bmatrix} 4 & 2 \\ -1 & x \end{bmatrix}$ , and I =  $\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$ , find the value of x. 6. If  $A = \begin{bmatrix} 3 & 1 \\ 7 & 5 \end{bmatrix}$ , find the value of x and y such that  $A^2 + xI_2 = yA$ . 7. If  $\begin{bmatrix} x & -5 & -1 \end{bmatrix} \begin{bmatrix} 1 & 0 & 2 \\ 0 & 2 & 1 \\ 2 & 0 & 3 \end{bmatrix} \begin{bmatrix} x \\ 4 \\ 1 \end{bmatrix} = 0$ , find x. 8. If  $M(\Theta) = \begin{bmatrix} \cos\Theta & \sin\Theta \\ -\sin\Theta & \cos\Theta \end{bmatrix}$ , then show that M(x).M(y) = M(x+y). 9. If  $A = \begin{bmatrix} 1 & 0 & 2 \\ 0 & 2 & 1 \\ 2 & 0 & 3 \end{bmatrix}$ , prove that  $A^3 - 6A^2 + 7A + 2I = 0$ . 10. For,  $A = \begin{bmatrix} 1 \\ -4 \\ -2 \end{bmatrix}$  and  $B = \begin{bmatrix} -1 & 2 & 1 \end{bmatrix}$ , verify  $(AB)^{T} = B^{T} \cdot A^{T} \cdot A^{T}$ . 11. Express matrix  $A = \begin{bmatrix} 3 & 5 \\ 7 & 9 \end{bmatrix}$ , as sum of symmetric and skew symmetric matrix. 12. If A and B are symmetric matrix, then prove that AB – BA is skew symmetric matrix. (i)

- AB + BA is symmetric matrix. (ii)
- 13. If A is a square matrix such that  $A^{T}A = I$ , find value of |A|.
- 14. If A is a square of order 3 with |A| = 4, find value of |-2A|.

15. If  $A = \begin{bmatrix} 5 & a \\ b & 0 \end{bmatrix}$  and A is symmetric matrix, show that a = b. 16. If the matrix  $A = \begin{bmatrix} 6 & x & 2 \\ 2 & -1 & 2 \\ -10 & 5 & 2 \end{bmatrix}$  is singular matrix , find value of x. 17. If  $A = \begin{bmatrix} 3 & -2 \\ 4 & -2 \end{bmatrix}$ , find x such that  $A^2 = xA - 2I$ . Hence find  $A^{-1}$ . 18. If A is a square matrix of order  $3 \times 3$  and |A| = 5 find |adjA|. 19. If A is a skew symmetric matrix of order 3 find the value of |A|. 20. Find the  $adjA = \begin{bmatrix} -1 & -2 & -2 \\ 2 & 1 & -2 \\ 2 & -2 & 1 \end{bmatrix}$  and hence verify  $A(adjA) = |A|I_3$ . 21. If  $A = \begin{bmatrix} cosx & sinx \\ -sinx & cosx \end{bmatrix}$  and  $A(adjA) = K \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$ , find the value of K. 22. If for any 2×2 square matrix A ,  $A(adjA) = \begin{bmatrix} 8 & 0 \\ 0 & 8 \end{bmatrix}$ , find the value of |A|. 23. There are two values of 'a' which any determinant  $\begin{vmatrix} 1 & -2 & 5 \\ 2 & a & -1 \\ 0 & 4 & 2a \end{vmatrix} = 86$ . Find the sum of these two values of 'a'.

#### Invertible Matrix and Inverse of a Matrix

Let A be a square matrix of order n. If there exists a square matrix B of same order n such that  $AB = BA = I_n$ , then A is invertible matrix. The matrix B is called inverse mtrix of A and is denoted by A<sup>-1</sup>.

Few important results :(i) $(AB)^{-1} = B^{-1}A^{-1}$ (v)  $(KA)^{-1} = \frac{1}{K}(A^{-1})$ (ii) $(A^{T})^{-1} = (A^{-1})^{T}$ (vi)  $A^{-1} = \frac{1}{|A|}(adjA)$ (iii) $(A^{-1})^{-1} = A$ (vii)  $|A^{-1}| = \frac{1}{|A|}$ (iv) $A^{-1}A = AA^{-1} = I$ (vii)  $|A^{-1}| = \frac{1}{|A|}$ Solve the matrix equation $\begin{bmatrix} 5 & 4 \\ 1 & 1 \end{bmatrix} A = \begin{bmatrix} 1 & -2 \\ 1 & 3 \end{bmatrix}$ 

1. Solve the matrix equation  $\begin{bmatrix} 1 \\ 1 \end{bmatrix}^{|A|-|1|} = \begin{bmatrix} 3 \end{bmatrix}$ (i) by using concept inverse (ii) without using concept of inverse 2. Find the inverse of matrix  $= \begin{bmatrix} 1 & 0 & 2 \\ -2 & 1 & 0 \\ 0 & -1 & 2 \end{bmatrix}$ 3. If the matrix  $A = \begin{bmatrix} 2 & 3 \\ 5 & -2 \end{bmatrix}$ , show that  $A^{-1} = \frac{1}{19}A$ . 4. For what value of x the matrix  $= \begin{bmatrix} 5-x & x+1 \\ 2 & 4 \end{bmatrix}$  is singular. 5. For what value(s) of K the matrix  $\begin{bmatrix} 4 & k \\ 2 & 1 \end{bmatrix}$  has no inverse. 6. If  $A = \begin{bmatrix} 1 & 2 \\ 4 & 2 \end{bmatrix}$ , then find the value of K if |2A| = K|A|. 7. If A is a square matrix of order 3 and |A| = 7, write the value of |adjA|. 8. If  $A = \begin{bmatrix} 2 & 3 \\ 1 & -4 \end{bmatrix}$  and  $B = \begin{bmatrix} 1 & -2 \\ -1 & 3 \end{bmatrix}$ , then find (AB)<sup>-1</sup>. 9. Find the inverse of matrix  $A = \begin{bmatrix} 3 & -1 & 1 \\ -15 & 6 & -5 \\ 5 & -2 & 2 \end{bmatrix}$  and hence show that  $A^{-1}A = I$ .